# What is an Inequality?

It is an equation that instead of an "=", it has one of the following:

Inequalities have one of the following:

To "solve" means to find all values of the variable for which the statement is true.

The values are called *Solutions*. The set of all solutions is called the *solution set*.

Give me three examples of inequalities:

1.

2.

3.

When we find the solution, we can put the answers in **SET NOTATION** (like we've done before), or in something called **INTERVAL NOTATION**.

#### Practice Set Notation:

**EX:** Write x = 5 in set notation.

EX: Write x > 5 in set notation.

# Interval Notation

Assume asb where a and b are real numbers.

# Closed Interval:

denoted by [a, b], consists of all real numbers x for which  $a \le x \le b$ .

### Open Interval:

denoted by (a, b), consists of a ll real numbers x for which a < x < b.

# Half-Open, Half-Closed Intervals:

denoted by (a, b] for all real numbers x for which  $a < x \le b$  and [a, b) for all real numbers x for which  $a \le x < b$ .

# Interval Notation cont:

If we have (a, b) or (a, b] or [a, b), then:

"a" is called the left end point.

"b" is called the right end point.

Name the end points of the following:

a.) (3, 5)

b.) [-2, 5]

What if we don't have an end point?

For example: x > 4

It just goes on forever.... What number is "forever"? Can you think of one?

Write in interval notation:

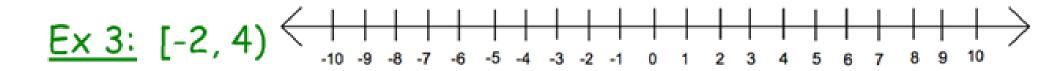
# Intervals including $\infty$ :

	•	
(a, b)	{x   a < x < b}	
[a, b]	{x   a ≤ x ≤ b}	-
[a, b)	{x   a ≤ x < b}	-
(a, b]	{x   a < x ≤ b}	<b>←</b>
	_	-
[a, ∞)	{x   x ≥ a}	<b>←</b>
(a, ∞)	{x   x > a}	<b>←</b>
(-∞, a]	{x   x ≤ a}	
(- ⊶, a)	{x   x ≤ a}	
(,)	{x  x is a real number}	

Let's do some examples.

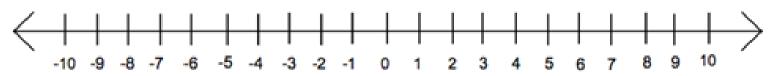
Write in interval notation.

# Write in Inequality notation and graph









If we have 5 > 3,

What would happen if we added 6 to both sides? Would the inequality still be true?

Would the it still be true if we subract 4 from both sides?

If we have 2 < 7,

Would the inequality still be true IF we add 6 to both sides?

What if we subtract 4 from both sides?

A general way to say this is if we have **a**, **b**, and **c**, then we have

- 1. if a > b, then a+c > b+c and a-c > b-c
- 2. if a < b, then a+c < b+c and a-c <b-c

If we have 4 > 1,

What would happen if we multiplied by 6 on both sides? Would the inequality still be true?

Would the it still be true if we divided by 4 on both sides?

If we have -1 < 3,

Would the inequality still be true IF we multiplied by 6 on both sides?

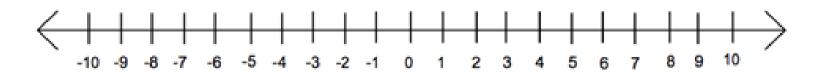
What if we divided by 3 on both sides?

A general way to say this is if we have **a**, **b**, and **c**, then we have

- 1. if a > b, then  $a \cdot c > b \cdot c$  and a/c > b/c
- 2. if a < b, then a•c < b•c and a/c <b/>b/c

Let's solve some examples and then graph them. (Watch out for those negatives! What should you do if to the </> if you divide or multiply by a negative?) Write answers in Set notation and Interval Notation.

1. 
$$6x + 3 > 5x - 2$$



Let's solve some examples and then graph them. (Watch out for those negatives! What should you do if to the </> if you divide or multiply by a negative?) Write answers in Set notation and Interval Notation.

$$2. -3x - 4 < 14$$



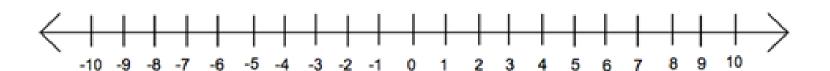
Let's solve some examples and then graph them. (Watch out for those negatives! What should you do if to the </> if you divide or multiply by a negative?) Write answers in Set notation and Interval Notation.

3. 
$$-3(4x + 7) < 21$$



Let's solve some examples and then graph them.(Watch out for those negatives! What should you do if to the </> if you divide or multiply by a negative?) Write answers in Set notation and Interval Notation.

4. 
$$\frac{2x+1}{3} > \frac{x-2}{2}$$



Homework:

Pg. 97: 4-8 all, 9-27 odds, 32-36 evens, 61, 67, 74

(21 problems)

Homework: Alternative

Pg 97: # 4-8 all, 9-27 odds, 32-36 (evens), 61, 67, 74